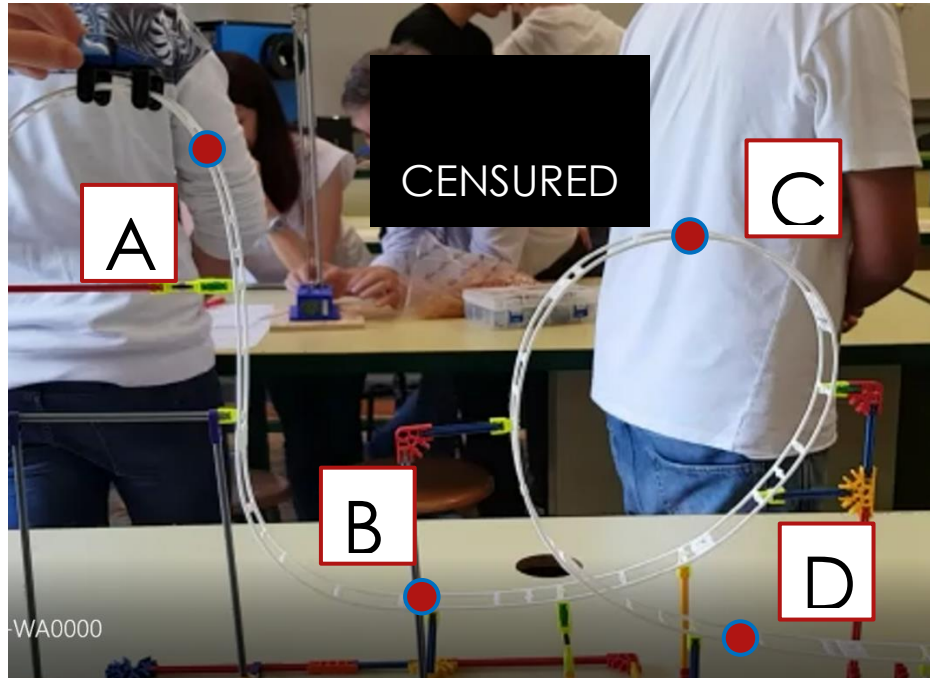




## KATUN Model 3asa



**This is the model that we have built in class with components of other rollcoasters.**

## THYPHOON Belgium



**Given:**

$$m = 24,02 \text{ g}$$

$$Y_{\text{beginning}} = 1,02 \text{ m}$$

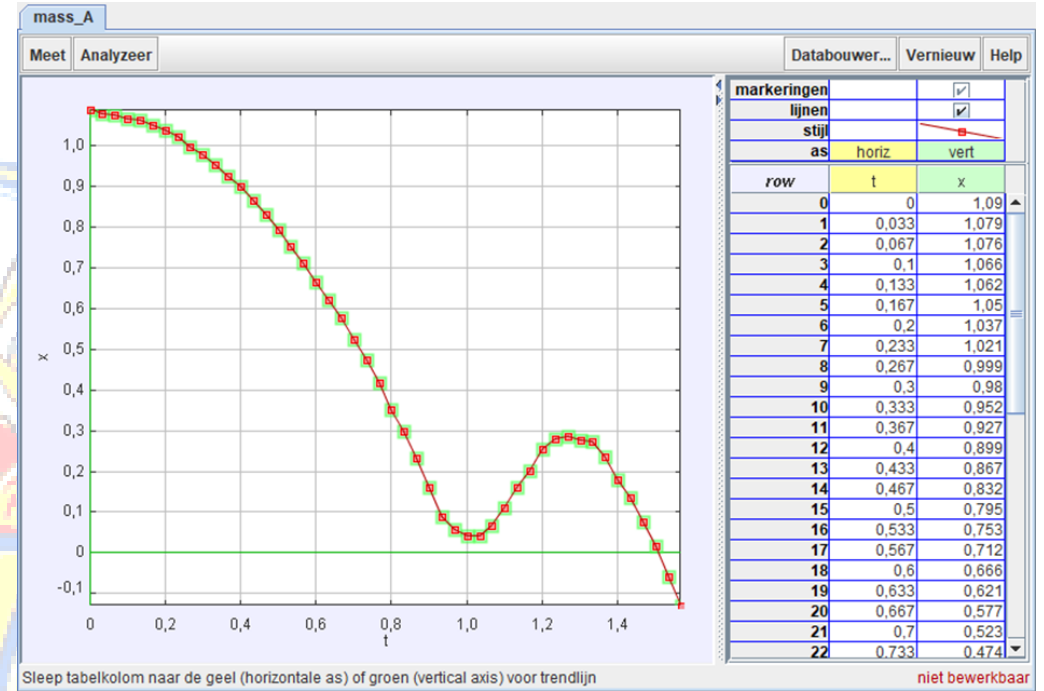
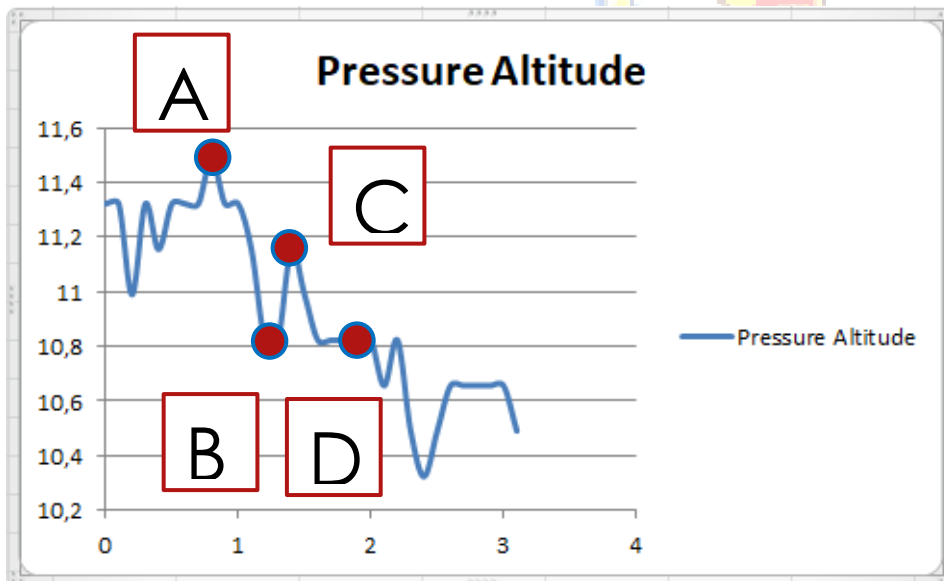
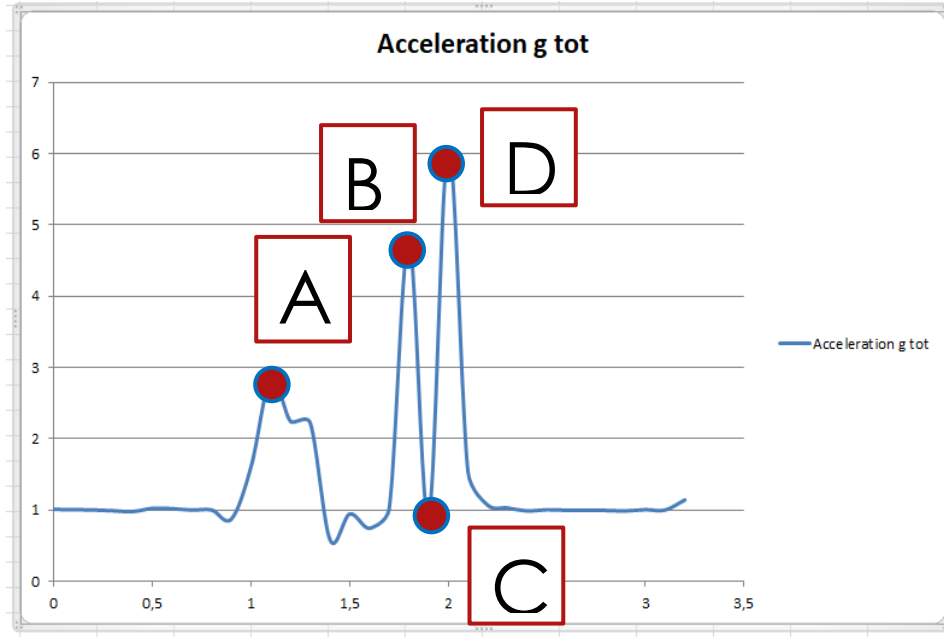
$$Y_{\text{top looping}} = 0,55 \text{ m}$$

$$Y_{\text{bottom looping}} = 0,20 \text{ m}$$

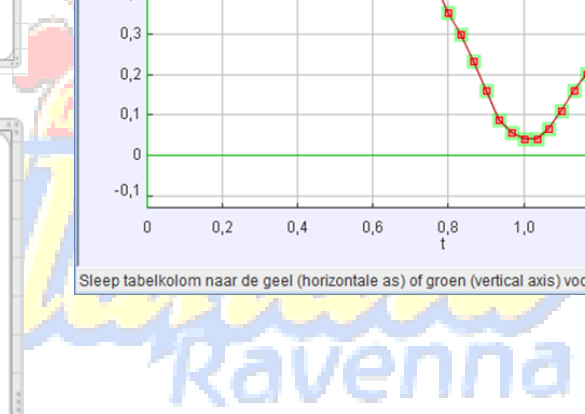
$$R_{\text{looping}} = 0,35 \text{ m}$$

# Ghraps

$y(x)$



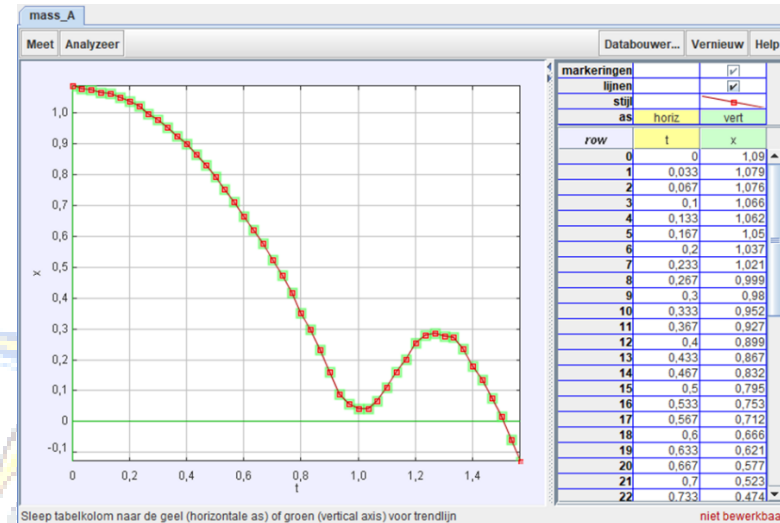
$(x(t))$



In order to make these recordings we used a detector given to us by the school.

### POINT A:

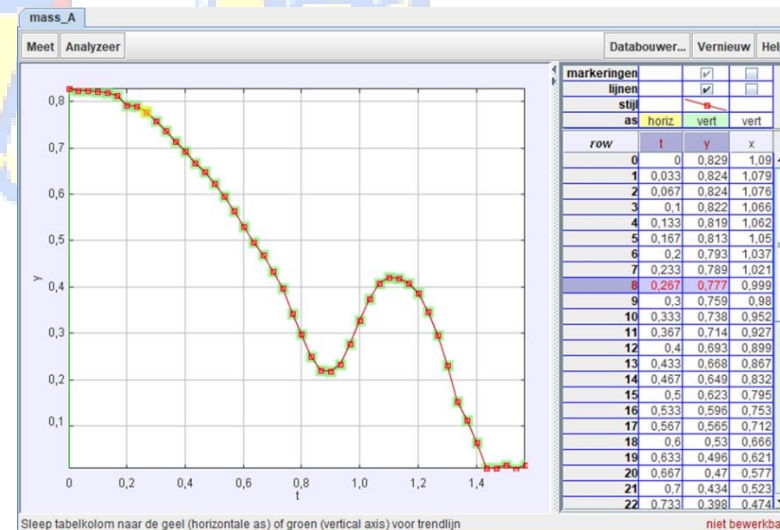
The carrel gains an acceleration from our hand.



$y(t) \rightarrow E_{pot} \text{ (J/kg)}$  (at the beginning, in the middle and at the end)

### POINT B:

The carrel has a high acceleration thanks to the slope.



## POINT C:

The carrel is at the summit of the loop and has the lowest acceleration.

## POINT D:

The carrel has the highest acceleration thanks to the slope of the loop.

## Calculations:

$$V_{\text{beginning}} (t = 0.033) = 0.1140842233 \text{ m/s}$$

$$V_{\text{middle}} (t = 0.733) = 2.026457007 \text{ m/s}$$

$$V_{\text{end}} (t = 1.533) = 1.331 \text{ m/s}$$

The velocity increases until the looping, during the looping it decreases.

$$a_{\text{beginning}} (t = 0.067) = 4.031922866 \text{ m/s}^2$$

$$a_{\text{middle}} (t = 0.733) = 2.33157672 \text{ m/s}^2$$

$$a_{\text{end}} (t = 1.500) = 11.07687343 \text{ m/s}^2$$

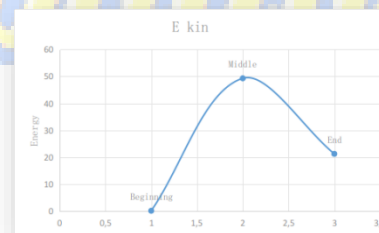
$$E_{\text{kin}} = (m \cdot v^2) / 2$$

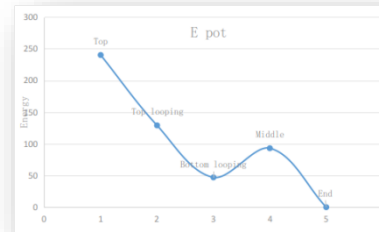
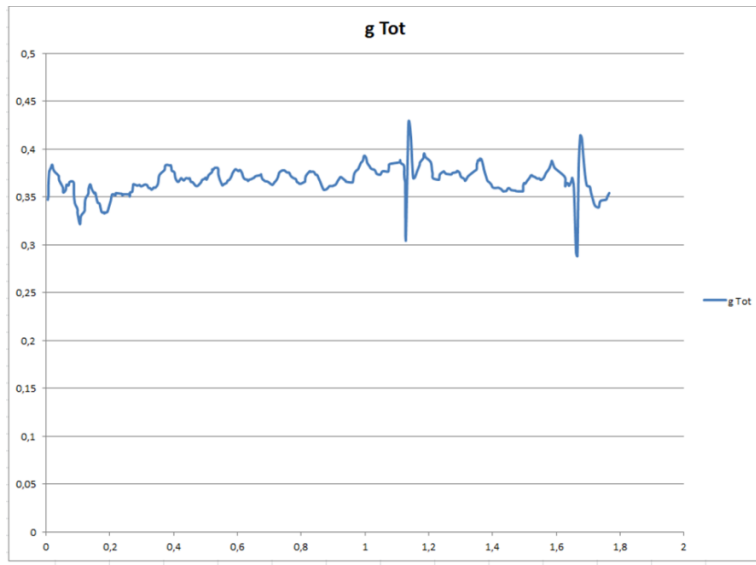
$$E_{\text{kin beginning}} = (24.02 * (0.1140842233)^2) / 2 = 0,1563126722 \text{ J}$$

$$E_{\text{kin middle}} = (24.02 * (2.026457007)^2) / 2 = 49,3194013 \text{ J}$$

$$E_{\text{kin end}} = (24.02 * (1.331)^2) / 2 =$$

$$21,27644761 \text{ J}$$





$$E_{\text{pot}} = m \cdot g \cdot h$$

$$E_{\text{pot beginning}} (0.067) = 24.02 \cdot 9.81 \cdot 1.02 = 240,348924 \text{ J}$$

$$E_{\text{pot top looping}} = 24.02 \cdot 9.81 \cdot 0.55 = 129,59991 \text{ J}$$

$$E_{\text{pot bottom looping}} = 24.02 \cdot 9.81 \cdot 0.20 = 47,12724 \text{ J}$$

$$E_{\text{pot middle}} (0.733) = 24.02 \cdot 9.81 \cdot 0.398 = 93,7832076 \text{ J}$$

$$E_{\text{pot end}} (1.500) = 24.02 \cdot 9.81 \cdot 0 = 0$$

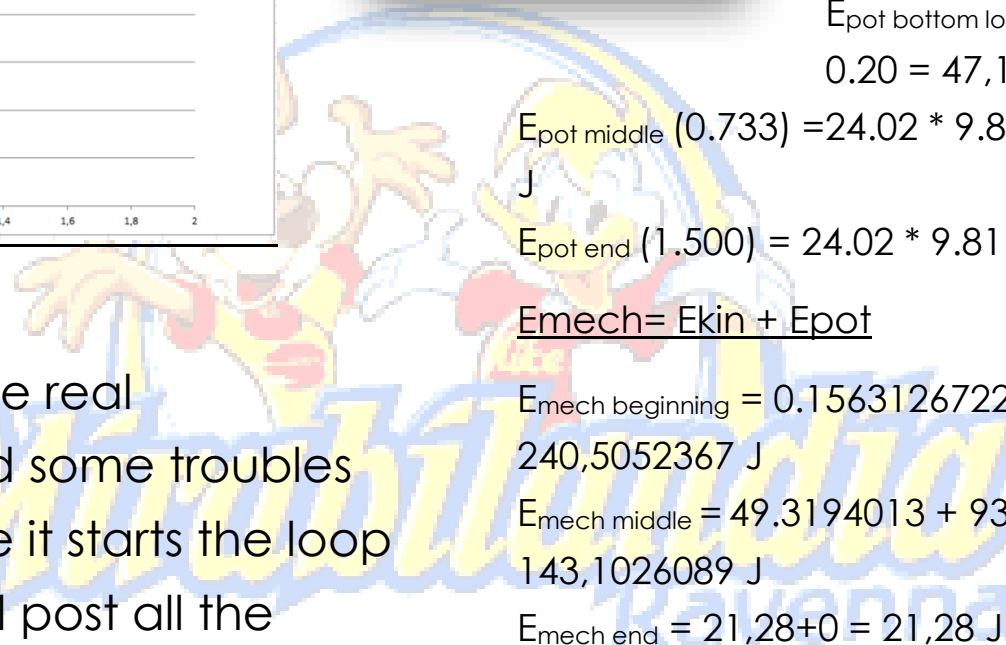
$$E_{\text{mech}} = E_{\text{kin}} + E_{\text{pot}}$$

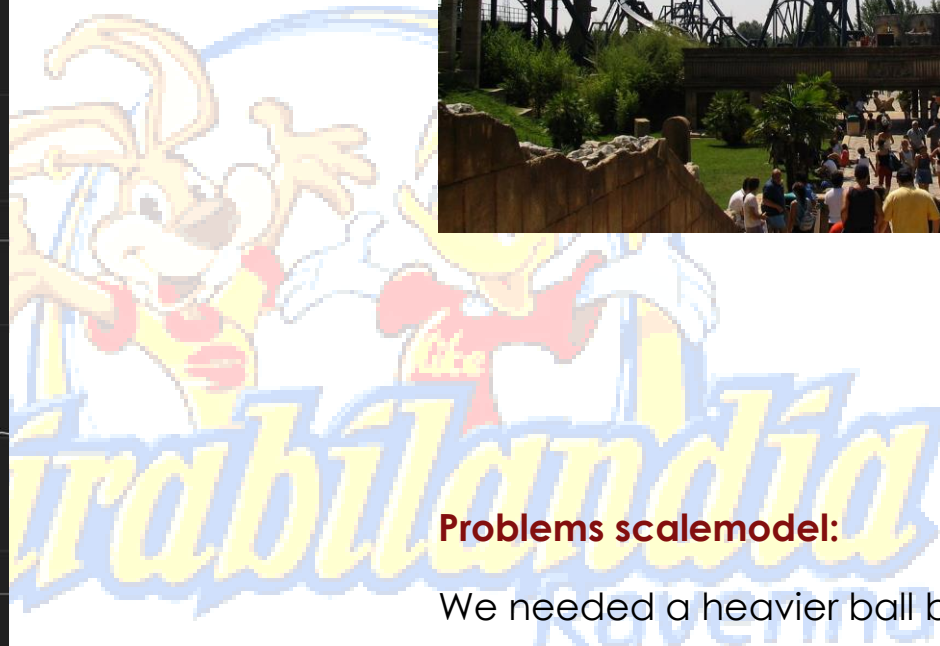
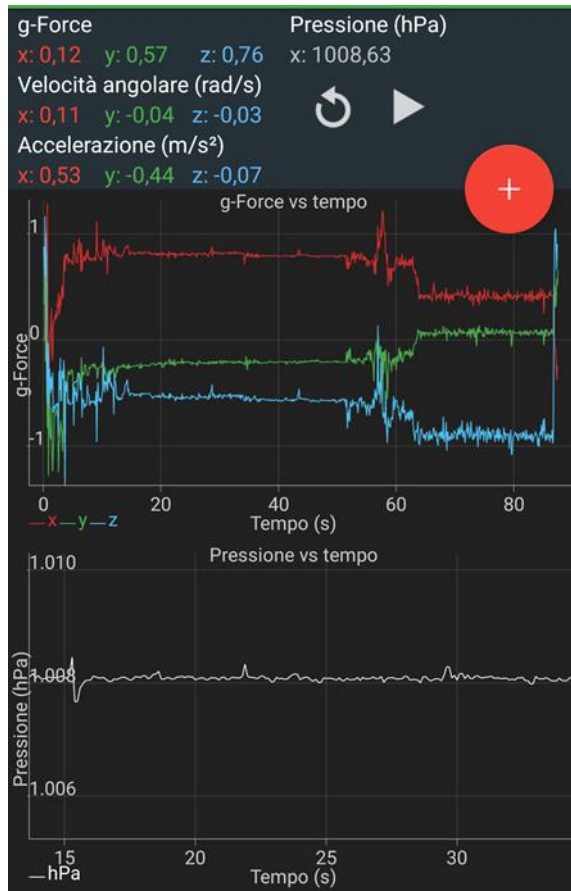
$$E_{\text{mech beginning}} = 0.1563126722 + 240,348924 = 240,5052367 \text{ J}$$

$$E_{\text{mech middle}} = 49.3194013 + 93.7832076 = 143,1026089 \text{ J}$$

$$E_{\text{mech end}} = 21,28 + 0 = 21,28 \text{ J}$$

This is the graph of the real rollercoaster. We had some troubles understanding where it starts the loop or it finishes so we will post all the graph hoping you will understand the same.





### Problems scalemodel:

We needed a heavier ball because it needed to make a looping and our looping was big. With a heavier ball, the potential gravitation energy was bigger and that results in a higher velocity. At first it just fell, but with the heavier ball the problem was solved.

## Table with energy

	$E_{kin}$	$E_{pot}$	$E_{mech}$
<b>Beginning</b>	0,16 J	240,35 J	240,51 J
<b>Middle</b>	49,32 J	93,78 J	143,10 J
<b>End</b>	21,28 J	0 J	21,28 J
<b>Average</b>	23,58 J	111,38 J	134,96 J

## Mechanic energy change

The mechanic energy decreases because the ball loses energy because there's friction.

