## To the hunt of hidden number $\Pi$ in the ZOE car...

This task in mathematics is continuing the collaborative contributions already posted online.
Imagine for a minute what human life would be if circular shapes had not been studied : no wheel, no vehicle!

Let's now find circular shapes in the ZOE car, take measurements and find again approximations of that $\pi$ number contained in this car.
material : 4 measure tapes, calculator, posters, markers

1. Using the measure tape, measure the perimeter of each tyre and diameter of each wheel with tyre. Calculate an approximate value of $\pi$ up to 8 significant digits. Repeat for all four tyres.

| tyre | left front tyre | right front tyre | left rear tyre | right rear tyre |
| :--- | :--- | :--- | :--- | :--- |
| measure of <br> circumference |  |  |  |  |
| measure of <br> diameter |  |  |  |  |
| calculation of $\pi$ |  |  |  |  |
| approximation <br> of $\pi$ found up to <br> 8 significant <br> digits |  |  |  |  |

2. Repeat the procedure on the four wheel trims.

| tyre | left front wheel | right front wheel | left rear wheel | right rear wheel |
| :--- | :--- | :--- | :--- | :--- |
| measure of <br> circumference |  |  |  |  |
| measure of <br> diameter |  |  |  |  |
| calculation of $\pi$ |  |  |  |  |
| approximation <br> of $\pi$ found up to <br> 8 significant <br> digits |  |  |  |  |

3. Repeat the procedure inside the car on the driving wheel.

Driving wheel : circumference is $\qquad$
diameter is
calculation of $\pi$ is
final result :
$\qquad$
$\qquad$
4. Find another circular shape in the car and measure, calculate an approximation of $\pi$
5. Use posters and markers to show directly onto the carbody of the car measurements, calculations and found approximation of $\pi$
6. Your documentary should contain the following elements with keywords :

- comment on your various approximations of $\pi$ that you just found,
- how this task is related to the math collaborative tasks posted online before this meeting,
- additional information about that bizarre number $\pi$, given below. DO NOT READ, TALK!


## Key words for your presentation :

circle, circumference, perimeter, radius, diametre, centre point, endpoint, chord, area, approximate value, significant digits, decimals, decimal equivalent of a number,

More properties about $\pi \simeq 3.1415926535897932384626433832795028841971693993751058209749445923$. .
In Antiquity already this constant number lying behind all circles was puzzling. Many attempts to give an exact value to this number failed and it became easier to give it a name to speak about it. The name in use today was given by the end of the 18th century by a Swiss mathematician named Euler and was then accepted by the community of mathematicians and scientists.

1. Back to the Antiquity in 250 BC , Archimedes has imagined a method using regular polygons inscribed in a circle to approximate $\pi$, see diagram below. He found that $\frac{223}{71}<\pi<\frac{22}{7}$, see figure 1.
2. $\pi$ is called irrational number : it is impossible to find a fraction with whole numbers that would be exactly equal to $\pi$. Its decimal representation never settles into a permanent repeating pattern.
3. $\pi$ is called transcendent number : it is impossible to find any polynomial equation with whole numbers as coefficients whose solution would be $\pi$.
4. Moreover, this number $\pi$ also appears in problems totally disconnected from geometry and circles. For example the game of Buffon's needles shows this surprising result.

Suppose we have a wooden floor made of parallel stripes of width $t$ and we drop a needle of length $l$ onto the floor. Then the probability that this needle will lie accross a line between two stripes is given by $P=\frac{2 \times l}{t \times \pi}$, see Figure 2
$\pi$ can be estimated by computing the perimeters of circumscribed and inscribed polygons.

The a needle lies across a line, while the $b$ needle does not.


