## ESCOLA E. B. 2,3/S Dr. DANIEL DE MATO؟ Ano letivo 2014/2015 Matemática A

## Worksheet no 9

## "Our forests, our future"

One of the products that forests have been giving us is wood. Due to Man's ingenuity and talent, mankind has been doing outstanding artworks from that material.

That art is being promoted all over the world and our school is not an exception.
On the teacher's room, there is a frame made by some students from our school directed by one professional, Mr. Carlos Ferreira.

You are going to reproduce that frame with the indications below.

- 10 Quadrant

Mark on the answer sheet that has a reference:

- a semi straight starting on the origin of the reference, making an angle of $30^{\circ}$ with the positive half axis of the x-axis;
- trace the straight with equation $x=1$;
- appoint by an A the intersection point between this two straights;
- signalize the point $B(2,0)$;
- signalize the point $C(3,2)$;
- signalize the point $D(1,2)$;
- signalize the point E (0,4);
- with a compass centered in the origin and with a radius OA , determine the point F, which is the intersection of that circumference arc with the positive Oy half axis.
- $2^{\circ}$ Quadrant
- Mark the symmetric points of $A, B, C, D, E$ and $F$ ( 1 -quadrant), relatively to the Oy axis. Appoint them as $A^{\prime}, B^{\prime}, D^{\prime}, E^{\prime}$ and $F^{\prime}$.
- Mark the symmetric points of the ones in the $2^{\circ}$ quadrant relatively to the Ox axis. Appoint them as $A^{\prime \prime}, B^{\prime \prime}, C^{\prime \prime}, D^{\prime \prime}, E^{\prime \prime}$ and $F^{\prime \prime}$.
- $4^{\circ}$ Quadrant
- Mark the symmetric points of the ones in the $1{ }^{\circ}$ quadrant relatively to the x axis. Appoint them as $A_{1}, B_{1}, C_{1}, D_{1}, E_{1}$ and $F_{1}$.

Now, in the $1^{\circ}$ quadrant, connect:
O with A; A with B; B with D; D with C; C with B; D with E; F with D; O with D
Despite $\mathrm{D}^{\prime}$ is on the $2^{\circ}$ quadrant, connect $D$ with $\mathrm{D}^{\prime}$ and D ' with E .
Shade the triangle $[D B C],[A O B],[D O F] e\left[D D^{\prime} E\right]$ with a dark color.
Shade the triangle [ADB] and [DD'F] with a brighter color.
In the other quadrants, do the same with the corresponding points to the $1^{\circ}$ quadrant.
Shade the corresponding triangles on the three lasting quadrants, knowing that [AOB] has rotations of $60^{\circ}$.


- In the $1^{\circ}$ quadrant, also mark the points M and N , that are the intersection of the straight initially marked with the vertical straights $x=4$ and $x=5$, respectively.
- $\quad$ Mark the points $T(0,5)$ and $\mathrm{V}(0,6)$
- Determine the symmetric points of M and N in the $2^{\circ}, 3^{\circ}$ and $4^{\circ}$ quadrant.
- Determine the symmetric points of T and V , relatively to the origin.
- Connect M with $\mathrm{T}, \mathrm{T}$ with $\mathrm{M}^{\prime}, \mathrm{M}^{\prime}$ with $\mathrm{M}^{\prime \prime}, \mathrm{M}^{\prime \prime}$ with $\mathrm{T}^{\prime}, \mathrm{T}^{\prime}$ with $M_{1}$ and finally $M_{1}$ with M .
- Connect N with $\mathrm{V}, \mathrm{V}$ with $\mathrm{N}^{\prime}, \mathrm{N}^{\prime}$ with $\mathrm{N}^{\prime \prime}, \mathrm{N}^{\prime \prime}$ with $\mathrm{V}^{\prime}, \mathrm{V}^{\prime}$ with $N_{1}$ and finally $N_{1}$ with N .
- You obtained two hexagons.
- Shade the region of the framing between this two hexagons.
- Draw two horizontal straights that pass through V and V'.
- You obtained a rectangle.
- Mark another rectangle, centered with the first but with bigger dimensions, making a frame, which has 1 unit of width.

After all this work, let's see if you obtained the frame idealized by Mr. Carlos.


