PLATONIC

SOLIDS





Erasmus+

PROGRAM ERASMUS + EDUKACJA SZKOLNA - AKCJA KA2 -PARTNERSTWO STRATEGICZNE

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WHO WAS PLATON?

PLATON - he lived in Ancient Greece. He was born in about 427 BC, he died in 347 BC. He is one of the most famous philosophers of ancient Greece. He was a student of Socrates and a teacher of Aristotle. He was the founder of the Platonic Academy and the creator of Platonic solids.



PLATONIC SOLIDS

They are regular

polyhedra. Their name

is due to the fact that Plato was the first to discover the fact that they occur in a strictly defined number.



PLATONAL SOLIDS

From an appropriate number of the same mathematical elements, Plato created five regular polyhedra, which the philosopher considered to be the building blocks of all matter.



PLATONIC SOLIDS

The Platonic solids include:

tetrahedron,

cube,

octahedron,

dodecahedron,

✤ icosahedron.



TETRAHEDRON

A regular tetrahedron is a regular triangular pyramid. Its faces are congruent regular polygons, that is, equilateral triangles.





CUBE



Regular hexahedron (hexahedron, regular hexahedron = cube) consists of six faces in the shape of identical squares. The angle between the faces is a right angle.

OCTAHEDRON



Regular octahedron (octahedron) - has eight faces in the shape of identical triangles. It has four pairs of walls that are parallel to each other. It is also an antiprism.

DODECAHEDRON





Dodecahedron (dodecahedron) -12 pentagonal faces, 20 vertices, 30 edges. Each of its faces is a regular pentagon.

ICOSAHEDRON



Icosahedron - the most complex regular polyhedron. It has 20 faces in the shape of congruent equilateral triangles. It has 30 edges, 12 vertices and 15 planes of symmetry.







INTERESTING

FACTS

Plato proclaimed that:

the tetrahedron symbolizes the fire

cube - earth

octahedron - air

dodecahedron - cosmos

icosahedron - the personification of a water molecule





PLATONIC SOLIDS IN EVERYDAY LIFE



PACKAGING,

DICES,

AQUARIUMS,

FURNITURE,

TOYS (FOOTBALL - INSPIRATION),

HOUSE DECORATIONS,

MEGAMIX CUBES,

LANTERNS,

SPEAKERS







PLATONIC SOLIDS IN

EVERYDAY LIFE

Extra Exercises

Excercise 1. Calculate the area of a cube with an edge of 15 cm. Exercise 2. What is the edge length of a regular octahedron if its volume is equal $\frac{\sqrt{2}}{3}$?

Exercise 1

 $P = 6 \cdot a^{2} =$ = 6 \cdot (15 cm)^{2} = = 6 \cdot 15 cm \cdot 15 cm = = 6 \cdot 225 cm^{2} = = 1350 cm^{2}





Exercise 2

We will use the formula for the volume of a regular octahedron:

 $V = \frac{1}{3}a^3\sqrt{2}$

where a is the edge length. Given the volume we substitute into the formula above:

$$V = \frac{\sqrt{2}}{3}$$

$$\frac{\sqrt{2}}{3} = \frac{1}{3}a^{3}\sqrt{2}/3$$

$$\sqrt{2} = a^{3}\sqrt{2}/(\sqrt{2})$$

$$1 = a^{3}$$

$$a = 1$$

SOURCES:

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 <u>http://matematykainnegowymiaru.pl/open/lekcje.php?mode=pokaz&id=6</u>
- 4. https://www.google.com/url?sa=t&rct=j&q=&esrc=s&source=web&cd=&cad=rja&uac t=8&ved=2ahUKEwil_YD1p5rvAhXq-SoKHXNeB0IQFjAJegQIIhAD&url=http%3A%2F%2 Fwmii.uwm.edu.pl%2F~wzm%2Fwp-content%2Fuploads%2F2016%2F02%2F1.Matem atyka.pdf&usg=AOvVaw0BoUEByPILU_zmC7dwnfNw

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